

Claims:

- c1 (Previously presented) A method for dense encoding and retrieving of information represented in electronic computers, the method comprising
- (a) choosing an appropriate modulus  $m$ , positive integer  $n$ , corresponding to the number of bits to be encoding, and generating  $n \times n$  matrix  $A$  with integer elements where the diagonal elements of  $A$  differs modulo  $m$  from all the other elements of their column, and where  $A$  can be written as matrix product  $BC$  where  $B$  is an  $n \times t$  matrix,  $C$  is a  $t \times n$  matrix, where  $t$  is less than  $n$ ;
  - (b) encoding the length- $n$  vector  $x$  to the length- $t$  vector  $xB$ , by vector-matrix product modulo  $m$ ;
  - (c) storing the length- $t$  vector  $xB$  in physical computational devices;
  - (d) retrieving the stored vector by computing  $xBC=xA$  by vector-matrix product modulo  $m$ ;
  - (e) for every coordinate of vector  $xBC=xA$ , filtering out the terms added as the linear combination of other coordinates of vector  $x$ .
- c2 (Previously presented) A method according to claim 1, wherein the modulus  $m$  is non-prime- power composite positive integer, the diagonal elements of matrix  $A$  are non-zero modulo any prime-divisors of  $m$ , and each non-diagonal elements of matrix  $A$  are zero modulo for at least one prime divisor of  $m$ .
- c3 (Previously presented) A method according to claim 2, wherein the filtering step for retrieving the original values of the encoded 0-1 vector  $x$  further comprising:
- (a) periodical change of the values of the coordinates of vector  $x$  with original value equal to 1 on values  $0, 1, 2, \dots, m-1$ , and no change of the values of the coordinates of vector  $x$  with original value equal to 0;
  - (b) measuring the periodicity of each coordinates of vector  $xBC=xA$ ;
  - (c) if a coordinate has period equal to  $m$  then its original value was 1.
- c4 (Previously presented) A method according to claim 1, wherein vector  $x$  to be compacted is a row-vector of a matrix.

c5 (Previously presented) A method according to claim 1, wherein vector  $x$  to be compacted is a column-vector of a matrix.

c6 (Currently amended) A system for dense encoding and retrieving of information represented in electronic computers or other physical devices, the system comprising

(a) choosing a modulus  $m$  to be a non-prime-power composite positive integer, positive integer  $n$  corresponding to the number of bits to be encoded, and generating  $n \times n$  matrix  $A$  with the diagonal elements being non-zero modulo any prime-divisors of  $m$ , and each non-diagonal elements of matrix  $A$  are zero modulo for at least one prime divisor of  $m$ , and where  $A$  can be written as matrix product  $BC$  where  $B$  is an  $n \times t$  matrix,  $C$  is a  $t \times n$  matrix, where  $t$  is less than  $n$ ;

(b) choosing ~~step-functions~~ functions  $s_1, s_2, \dots, s_n$  on the  $[a, b]$  real interval, corresponding to time, such that the following properties hold:

(b1) function  $s_i$  has finitely many, but at least one non-zero steps modulo  $m$ , for  $i=1, 2, \dots, n$ ;

(b2) the step of function  $s_i$  is either 0 modulo  $m$  or it is non-zero modulo all individual prime-divisors of number  $m$ , for  $i=1, 2, \dots, n$ ;

(b3) no two different functions  $s_i$  and  $s_k$  have non-zero steps in the same point  $r$  in the real interval  $[a, b]$ ;

(c) encoding bit-sequence  $h_1, h_2, \dots, h_n$ , such that bit  $h_i$  is encoded by  $x_i = h_i s_i$ , for  $i=1, 2, \dots, n$ ; ~~by denoting the  $n$  bits to be stored by  $h_1, h_2, \dots, h_n$ , bit  $h_i$  is encoded first as  $x_i = h_i s_i$ , for  $i=1, 2, \dots, n$ ;~~

(d) computing quantity ~~with matrix  $B$~~ ,  $z = xB$ , by using matrix  $B$  and vector  $x$ ; ~~is computed~~;

(e) storing step functions  $z_1, z_2, \dots, z_t$  ~~are stored~~;

(f) computing  $x' = zC = xBC$  modulo  $m$  ~~is computed~~;

(g) ~~by observing the change of the values of the piecewise constant function  $x'_i$ , for  $i=1, 2, \dots, n$ ; and identifying  $h_i=0$  if we conclude that if all the steps of function  $x'_i$  are 0 modulo at least one prime divisor of  $m$ , then  $h_i=0$ , otherwise, identifying~~ identifying  $h_i=1$ .

- c7 (Previously presented) A system, according to claim 6, wherein step-functions are stored in physical devices admitting linear combinations, and the values of the steps modulo  $m$  can be observed from the spectrum of electromagnetic radiation emitted by the devices.
- c8 (Previously presented) A system according to claim 6, wherein vector  $h=h_1, h_2, \dots, h_n$  to be compacted is a row-vector of a matrix.
- c9 (Previously presented) A system according to claim 6, wherein vector  $h=h_1, h_2, \dots, h_n$  to be compacted is a column-vector of a matrix.
- c10 (Cancelled)